

BFS(G, s)

```
1  for each vertex  $u \in V[G] - \{s\}$ 
2      do  $color[u] \leftarrow WHITE$ 
3           $d[u] \leftarrow \infty$ 
4           $\pi[u] \leftarrow NIL$ 
5   $color[s] \leftarrow GRAY$ 
6   $d[s] \leftarrow 0$ 
7   $\pi[s] \leftarrow NIL$ 
8   $Q \leftarrow \emptyset$ 
9  ENQUEUE( $Q, s$ )
10 while  $Q \neq \emptyset$ 
    do  $u \leftarrow DEQUEUE(Q)$ 
        for each  $v \in Adj[u]$ 
            do if  $color[v] = WHITE$ 
                then  $color[v] \leftarrow GRAY$ 
                     $d[v] \leftarrow d[u] + 1$ 
                     $\pi[v] \leftarrow u$ 
                    ENQUEUE( $Q, v$ )
         $color[u] \leftarrow BLACK$ 
```

G means
Graph $\rightarrow$
Adjacency
Matrix, S
means Source
(Integer)

You need to have
three arrays. Color,
D (Distance/Level),
Parent.

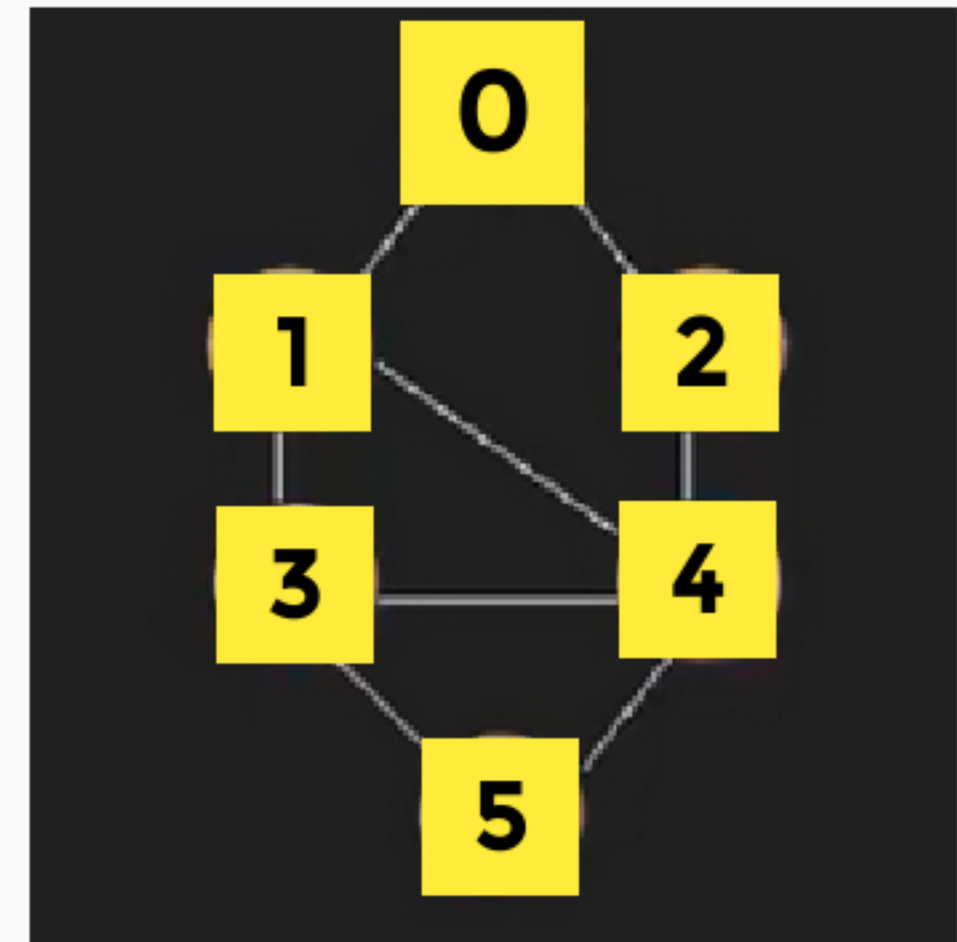
Queue<Integer> q =
new
LinkedList<Integer>();

White means 0
(Undiscovered). Gray
means 1 (Visited but
not processed).
Black means 2
(Processed).

$q.poll()$

$while(!q.isEmpty())$

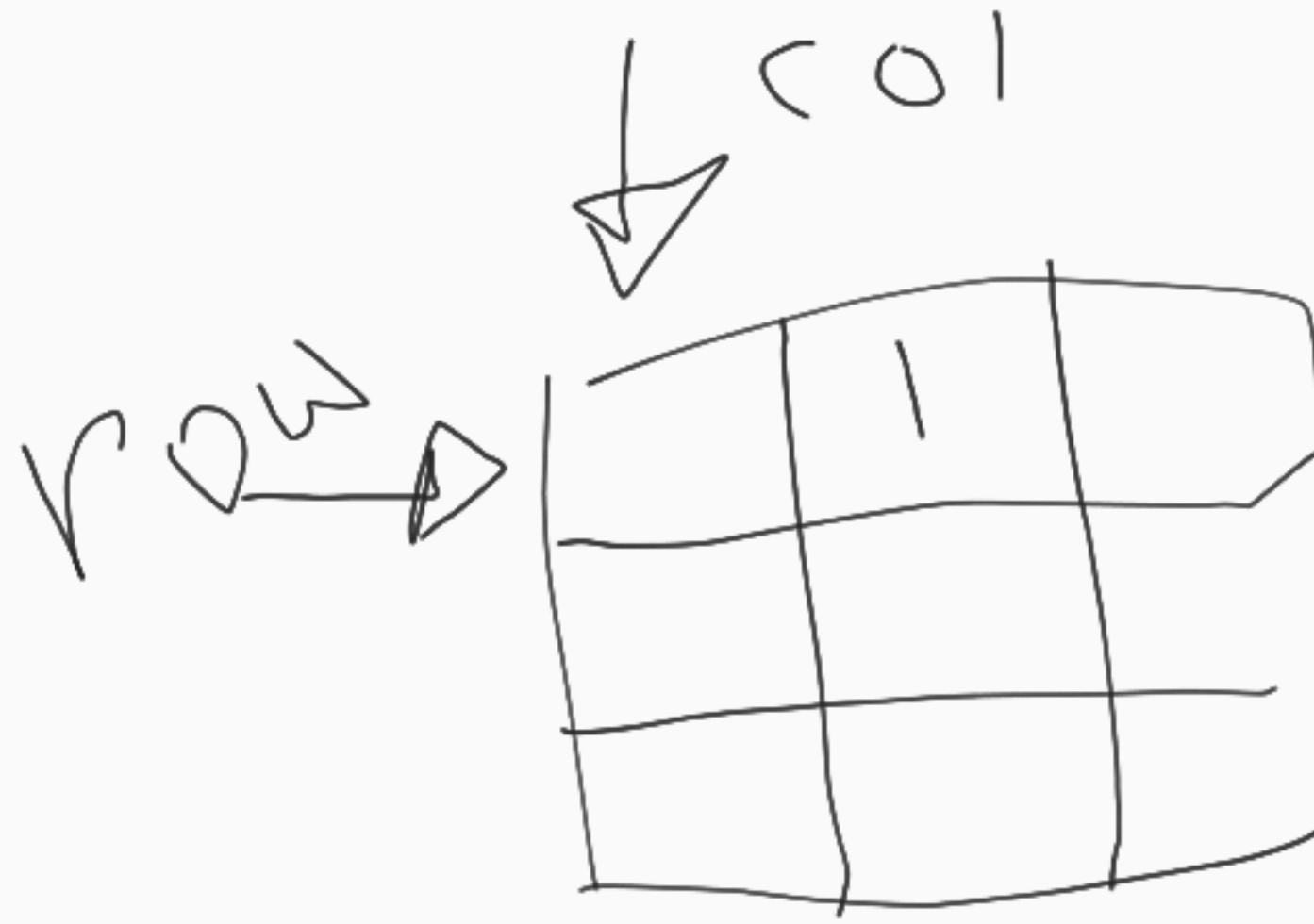
6 8 (0,1) (0,2)
(1,3) (1,4) (2,4)
(3,4) (4,5) (3,5)



for each v that
belongs to Adj[u] ->
This means that the
for loop will apply to
each of the
neighbors of u



```
for(int col = 0;  
col < mat.length;  
col++){  
if(mat[u][col] == 1) {  
}}
```



mat[row][col]
mat[u]

